Workshop title: The Immune System and Vaccination Document: Student handout

## Modelling a pathogen outbreak: Experiment 1

50\% vaccinated population


Vaccinated person
Un-vaccinated person

Vaccines

Does a 50\% vaccinated population provide herd immunity and stop the pathogen spreading?

## Hypothesis

## Equipment

- Green colouring pencil
- A $50 \%$ vaccinated population sheet
- A coin or dice


## Method

1. Pick one of the unvaccinated people. Label that person 1 and colour them in green.
2. If they are connected to another unvaccinated person - flip a coin or roll a dice so they have a $50 \%$ chance of infecting them.
a. Heads or Even numbers = Infected
b. Tails or Odd numbers = Uninfected
3. Infected people are coloured in green and numbered. Write the number of new infections in the Results Table.
4. If the newly infected people are connected to an unvaccinated person repeat steps 2 and 3 .
5. Once there are no new infections - add your Total Number of Infected People to the class average.

## Results

| Results table 1 |  |  |  |  |
| :--- | :--- | :--- | :--- | :---: |
| Infected Person | Number of new <br> infections | Infected Person <br> (cont.) | Number of new <br> infections (cont.) |  |
| $\mathbf{1}$ |  |  |  |  |
|  |  |  |  |  |
|  |  |  |  |  |
|  |  |  |  |  |
|  |  |  |  |  |
|  |  |  |  |  |
|  |  |  |  |  |

Total number of infected people $=$

## Analysis

In this experiment, does a $50 \%$ vaccinated population stop the pathogen spreading? Why might this be?


## Conclusion

How does your finding fit in with the hypothesis?
immunnolog ${ }^{\circ}$

Modelling a pathogen outbreak: Experiment 2
80\% vaccinated population


Vaccinated person
$\stackrel{\circ}{\bullet}$
Un-vaccinated person

Does an $80 \%$ vaccinated population provide herd immunity and stop the pathogen spreading?

## Hypothesis

## Equipment

- Green colouring pencil
- An $80 \%$ vaccinated population sheet
- A coin or dice


## Method

1. Pick one of the unvaccinated people. Label that person 1 and colour them in green.
2. If they are connected to another unvaccinated person - flip a coin or roll a dice so they have a $50 \%$ chance of infecting them.
a. Heads or Even numbers = Infected
b. Tails or Odd numbers = Uninfected
3. Infected people are coloured in green and numbered. Write the number of new infections in the Results Table.
4. If the newly infected people are connected to an unvaccinated person repeat steps 2 and 3.
5. Once there are no new infections - add your Total Number of Infected People to the class average.

## Results

| Results table 2 | Number of new infections |
| :--- | :--- |
| Infected Person |  |
| $\mathbf{1}$ |  |
|  |  |
|  |  |
|  |  |
|  |  |

Total number of infected people $=$

## Analysis

In this experiment, does an $80 \%$ vaccinated population stop the pathogen spreading? Why might this be?
$\square$

## Conclusion

How does your finding fit in with the hypothesis?

immunnolog ® $^{\circ}$

## Modelling a pathogen outbreak: Experiment 3

95\% vaccinated population

$\stackrel{\circ}{\odot}$ Vaccinated person
$\stackrel{\circ}{ }($ Un-vaccinated person

Vaccines

Does a $95 \%$ vaccinated population provide herd immunity and stop the pathogen spreading?

## Hypothesis



## Equipment

- Green colouring pencil
- A 95\% vaccinated population sheet
- A coin or dice


## Method

1. Pick one of the unvaccinated people. Label that person 1 and colour them in green.
2. If they are connected to another unvaccinated person - flip a coin or roll a dice so they have a $50 \%$ chance of infecting them.

- Heads or Even numbers = Infected
- Tails or Odd numbers = Uninfected

3. Infected people are coloured in green and numbered. Write the number of new infections in the Results Table.
4. If the newly infected people are connected to an unvaccinated person repeat steps 2 and 3.
5. Once there are no new infections - add your Total Number of Infected People to the class average.

## Results

| Results table 3 | Number of new infections |
| :--- | :--- |
| Infected Person |  |
| $\mathbf{1}$ |  |
|  |  |
|  |  |
|  |  |

Total number of infected people $=$ $\square$

## Analysis

In this experiment, does a 95\% vaccinated population stop the pathogen spreading? Why might this be?


## Conclusion

How does your finding fit in with the hypothesis?


## Modelling a pathogen outbreak: Conclusions

- Compare your data to the class averages for experiments $1,2 \& 3$.
- Do they match your hypotheses?
- Overall, what percentage of vaccinated population is needed to stop it spreading?
$\square$
- Why did we take the class averages?
- Is this a fair test?
$\square$
- How could this experiment be improved?

- What further experiments could you perform?


## Workshop title: The Immune System and Vaccination Document: Student handout further work

## Modelling a pathogen outbreak: Further Experiment 4

Some pathogens spread more or less easily than others. Experiments 1, 2 and 3 had a $50 \%$ chance of infecting people around them.

Does decreasing the chance of pathogen infection (from 50\% to 25\%) change the vaccinated population percentage needed to stop it from spreading?

## Hypothesis

$\square$

## Equipment

- Green colouring pencil
- A $50 \%$ vaccinated population sheet
- An $80 \%$ vaccinated population sheet
- A deck of cards with the face cards removed so all cards 1 (Ace) to 10 of the four suits are used. Shuffle the deck.


## Method

1. Pick one of the unvaccinated people on the $50 \%$ vaccinated population sheet. Label that person 1 and colour them in green.
2. If they are connected to another unvaccinated person - draw a card so they have a $25 \%$ chance of infecting them.
a. Spade or clubs = Infected
b. Hearts or diamonds $=$ Not Infected
3. Infected people are coloured in green and numbered. Write the number of new infections in the Results Table.
4. If the newly infected people are connected to an unvaccinated person, repeat steps 2 and 3 .
5. Once there are no new infections - repeat steps $1-5$ for the $80 \%$ vaccinated population sheet. Always replace the card in the deck and shuffle.
$\mathbf{5 0 \%}$ vaccinated population


80\% vaccinated population


Vaccinated person
$\stackrel{\circ}{\circ}$
Un-vaccinated person

## Results

| Results table 4 (data from 50\% vaccinated population sheet) |  |  |  |
| :--- | :--- | :--- | :--- |
| Infected Person | Number of new <br> infections | Infected Person <br> (cont.) | Number of new <br> infections (cont.) |
| $\mathbf{1}$ |  |  |  |
|  |  |  |  |
|  |  |  |  |
|  |  |  |  |
|  |  |  |  |


| Results table 5 (data from 80\% vaccinated population sheet)    <br> Infected Person Number of new <br> infections Infected Person <br> (cont.) Number of new <br> infections (cont.) <br> $\mathbf{1}$    <br>     <br>     |
| :--- |
|  |
| Total number of infected people $=$ |

## Analysis

In this experiment, does a $50 \%$ vaccinated population stop the pathogen spreading? Why might this be?


In this experiment, does an $80 \%$ vaccinated population stop the pathogen spreading? Why might this be?
$\square$

## Conclusion

How does your finding fit in with your hypothesis?
$\square$
How does the number of infected people from experiment 1 and 2 compare to this experiment? Does the number of new infections change?

## Modelling a pathogen outbreak: Further Experiment 5

Some pathogens spread more or less easily than others. Experiments 1, 2 and 3 had a 50\% chance of infecting people around them.

Does increasing the chance of pathogen infection (from 50\% to 75\%) change the vaccinated population percentage needed to stop it from spreading?

Hypothesis

## Equipment

- Green colouring pencil
- A $50 \%$ vaccinated population sheet
- An $80 \%$ vaccinated population sheet
- A deck of cards with the face cards removed so all cards 1 (Ace) to 10 of the four suits are used. Shuffle the deck.


## Method

1. Pick one of the unvaccinated people on the $50 \%$ vaccinated population sheet. Label that person 1 and colour them in green.
2. If they are connected to another unvaccinated person - draw a card so they have a $75 \%$ chance of infecting them.
a. Spades, clubs or hearts = Infected
b. Diamond = Not Infected
3. Infected people are coloured in green and numbered. Write the number of new infections in the Results Table.
4. If the newly infected people are connected to an unvaccinated person repeat steps 2 and 3.
5. Once there are no new infections repeat steps $1-5$ for the $80 \%$ vaccinated population sheet. Always replace the card in the deck and shuffle.

50\% vaccinated population


80\% vaccinated population


Vaccinated person
$\stackrel{\circ}{\circ}$
Un-vaccinated person

## Results

| Results table 6 (data from 50\% vaccinated population sheet) |  |  |  |
| :--- | :--- | :--- | :--- |
| Infected Person | Number of new <br> infections | Infected Person <br> (cont.) | Number of new <br> infections (cont.) |
| $\mathbf{1}$ |  |  |  |
|  |  |  |  |
|  |  |  |  |
|  |  |  |  |
|  |  |  |  |

Total number of infected people $=$


| Results table 7 (data from 80\% vaccinated population sheet) |  |  |  |
| :--- | :--- | :--- | :--- |
| Infected Person | Number of new <br> infections | Infected Person <br> (cont.) | Number of new <br> infections (cont.) |
| $\mathbf{1}$ |  |  |  |
|  |  |  |  |
|  |  |  |  |
|  |  |  |  |

## Analysis

In this experiment, does a $50 \%$ vaccinated population stop the pathogen spreading? Why might this be?


In this experiment, does an $80 \%$ vaccinated population stop the pathogen
$\square$
spreading? Why might this be?

## Conclusion

How does your finding fit in with your hypothesis?
$\square$
How does the number of infected people from experiment 1 and 2 compare to this experiment? Does the number of new infections change?
$\square$

